

## Пєрıєұо́ $\mu \varepsilon v \alpha$

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## Eıбаү $\boldsymbol{\omega} \gamma \dot{\eta}$
































[^0]
























 $\alpha \pi \alpha ́ v \tau \eta \sigma \eta \tau \omega v$ олоí $\omega v \alpha \pi о \sigma к о \pi \varepsilon i ́ \eta ~ \pi \alpha \rho о v ́ \sigma \alpha ~ \varepsilon \rho \gamma \alpha \sigma \dot{\prime} \alpha ;$

















 $\sigma \cup \mu \pi \varepsilon \rho \alpha \sigma \mu \alpha \tau \kappa \kappa \omega ́ v$ $\sigma к \varepsilon ́ \psi \varepsilon \omega v$.



















 $\mu \varepsilon \theta$ ободоүкฑ́я тпऽ $\pi \rho \circ \sigma \varepsilon ́ \gamma \gamma 1 \sigma \eta \varsigma ;$












 тоv $\pi \varepsilon \rho เ \varepsilon \chi \circ \mu \varepsilon ́ v o v ~ \tau о v \varsigma ~ \mu \varepsilon ~ \sigma к о \pi о ́ ~ \tau \eta \nu ~ \varepsilon \xi \alpha \gamma \omega \gamma \eta ́ ~ \sigma v \mu \pi \varepsilon \rho \alpha \sigma \mu \alpha ́ \tau \omega \nu ~ \gamma i \alpha ~ \tau о v ~ \beta \alpha \theta \mu o ́ ~$






















 кочข $\omega$ vıки́ $\pi$ одıтькท่.

























Ме́роя Прю́то:
Ot Evvoreऽ каı $\eta$ A $\lambda \lambda \eta \lambda \varepsilon \pi i \delta \rho \alpha \sigma \eta$ тovs





































 $\pi \rho о \sigma \varepsilon ́ \gamma \gamma \imath \sigma \eta$ tov Mannheim $\alpha \pi о \sigma к о \pi \varepsilon i ́ ~ \sigma \tau \eta ~ \delta ı \mu о ́ \rho \varphi \omega \sigma \eta ~ \sigma v v \theta \eta \kappa ळ ́ v ~ к \alpha \imath ~ к \rho ı \tau \eta \rho i ́ \omega v$



 $\varepsilon \pi i ́ \lambda о \gamma о \tau \eta \varsigma \varepsilon \vee о ́ \tau \eta \tau \alpha \varsigma$.

To $\delta \varepsilon v ́ \tau \varepsilon \rho о ~ к \varepsilon \varphi \alpha ́ \lambda \alpha ı ~ \varepsilon \pi ル к \varepsilon v \tau \rho \omega ́ v \varepsilon \tau \alpha ı ~ \sigma \tau о v ~ \pi \rho о \sigma \delta ı \rho ı \sigma \mu o ́ ~ к \alpha ı ~ \tau \eta \nu ~ \alpha v \alpha ́ \lambda v \sigma \eta ~$









 $\pi \rho о \sigma \tau \alpha \sigma i \alpha \varsigma ~ \mu \varepsilon ́ \sigma \omega ~ \tau \eta \varsigma ~ \varepsilon к \tau \varepsilon \tau \alpha \mu \varepsilon ́ v \eta \zeta ~ \mu \varepsilon \lambda \varepsilon ́ \tau \eta \zeta ~ \tau \omega v ~ к о \imath v \omega v ı к \omega ́ v ~ v \pi \eta \rho \varepsilon \sigma ı \omega ́ v . ~ H ~$














## Keqádalo 1

H'Evvola tns Iסzodoरías

## 











 $\tau \eta \varsigma \pi \rho o ́ v o l \alpha \varsigma$.















[^1]































[^2]

 (X $\rho 1 \sigma \tau 0 \delta o v \lambda i \delta \eta ~-~ М \alpha \zeta \alpha \rho \alpha ́ \kappa \eta ~ 2009: ~ 31) . ~ А \pi o ́ ~ \tau \eta v ~ \pi \rho ต ́ \tau \eta ~ \alpha v \tau \eta ~ \pi \rho о \sigma \varepsilon ́ \gamma \gamma ı \sigma \eta ~$

































## 












 סрáбๆ» (Heywood 2006: 102). Kató tov Andrew Heywood (2007: 33) «ot $\delta \varepsilon ́ \varepsilon \varsigma$

 $\sigma \tau \eta \vee$ ıбторí $\tau 0 v \pi \rho \alpha \gamma \mu \alpha \tau \iota к о v ́ ~ к о ́ \sigma \mu о v » . ~ Г \imath \alpha ~ \pi \alpha \rho \alpha ́ \delta \varepsilon \imath \gamma \mu \alpha ~ \eta ~ \pi \rho о ́ \sigma \lambda \eta \psi \eta ~ \tau \eta \varsigma ~ \imath \delta \varepsilon ́ \alpha \varsigma ~ \tau \eta \varsigma$























 о́ $\pi \omega \varsigma ~ \alpha v \tau \varepsilon ́ \varsigma ~ \pi \alpha \rho о v \sigma เ \alpha ́ \sigma \tau \eta \kappa \alpha v ~ \pi ぃ о ~ \pi \alpha ́ v \omega, ~ ß р i ́ \sigma \kappa о v \tau \alpha l ~ \sigma \varepsilon ~ \mu \varepsilon \gamma \alpha ́ \lambda \eta ~ \tau \alpha v ́ \tau ı \sigma \eta ~ \mu \varepsilon ~ \tau L \varsigma ~$







## 



























 «vÉa̧ коw $\omega$ vía̧».

## 

## 























 $\pi \alpha \rho \alpha ́ ~ v \alpha$ عival to $\alpha \pi о \tau \varepsilon ́ \lambda \varepsilon \sigma \mu \alpha ~ \tau \eta \varsigma ~ \pi \rho \alpha \kappa \tau \kappa \kappa \eta ́ s ~ \delta \rho \alpha ́ \sigma \eta \varsigma ~ \tau \omega v ~ \alpha \tau o ́ \mu \omega v . ~ Y \pi \alpha ́ \rho \chi \varepsilon \imath ~$
 $\sigma v v \varepsilon i ́ \delta \eta \sigma \eta$ т $\omega v \alpha v \theta \rho \omega ́ \pi \omega v$.























 $\mu \pi о \rho о v ́ \sigma \varepsilon v \alpha$ о $\eta \eta \gamma \eta \theta \varepsilon i \quad \pi \rho \circ \varsigma \tau \eta v \alpha \lambda \lambda \alpha \gamma \eta$.






































 То $\pi \rho \omega ́ \tau о ~ \alpha \xi ı \sigma \eta \mu \varepsilon i ́ \omega \tau о ~ \varepsilon \gamma \chi \varepsilon i ́ \rho \eta \mu \alpha ~ \pi \rho о \varepsilon ́ \rho \chi \varepsilon \tau \alpha ı ~ \alpha \pi o ́ ~ L e n i n ~(1902), ~ о ~ о \pi о i ́ o \varsigma ~$
 $\pi \rho о \sigma \delta о к о и ́ \sigma \varepsilon$ va $\delta 1 \alpha \mu о \rho \varphi \omega ́ \sigma \varepsilon \iota ~ \varepsilon \mu \pi \varepsilon \rho \iota \varepsilon i \chi \varepsilon ~ \sigma \tau \varepsilon v о v ́ \varsigma ~ \delta \varepsilon \sigma \mu о v ́ \varsigma ~ \alpha \lambda \lambda \eta \lambda \varepsilon \xi \dot{\alpha} \rho \tau \eta \sigma \eta \varsigma \mu \varepsilon$ тоטऽ




 то $\sigma ט ́ v o \lambda о ~ \tau \omega \vee \sigma v \mu \varphi \varepsilon \rho о ́ v \tau \omega v \tau \omega v \kappa v \rho ı \alpha \rho \chi о v ́ \mu \varepsilon v \omega v \tau \alpha ́ \xi \varepsilon \omega v$.





 $\lambda 0 \imath \pi o ́ v ~ \sigma \tau o ́ \chi o s ~ \gamma ı \alpha ~ \tau \eta ~ \mu \varepsilon \tau \alpha ́ \beta \alpha \sigma \eta ~ \sigma \tau о v ~ \sigma о \sigma ı \alpha \lambda ı \sigma \mu o ́ ~ \theta \alpha ~ \eta ́ \tau \alpha \nu ~ \eta ~ \delta ı \alpha ́ \pi \lambda \alpha \alpha \sigma \eta ~ к \alpha \imath ~$








 $\alpha \mu \varepsilon \rho о \lambda \eta \psi i ́ \alpha \varsigma ~ к \alpha \imath ~ о v \delta \varepsilon \tau \varepsilon \rho o ́ t \eta \tau \alpha \varsigma . ~ Г \imath \alpha ~ \tau о ~ \lambda o ́ \gamma o ~ \alpha v \tau o ́ ~ \eta ~ \alpha v \alpha ́ \lambda v \sigma \eta ~ \tau о v ~ v \pi \varepsilon v \theta v \mu i \zeta \varepsilon ı ~$




 $\sigma \varepsilon \alpha \varphi \alpha \rho \varepsilon \tau \kappa к о ́ \varepsilon \pi i ́ \pi \varepsilon \delta о$.








 гбєодоүюкй.



 $\kappa \alpha \tau \alpha v o ́ \eta \sigma \eta \varsigma ~ \tau \eta \varsigma ~ \delta \iota \alpha v o ́ \eta \sigma \eta \varsigma ~ к \alpha 1 ~ \tau о ~ \gamma \varepsilon \gamma о v o ́ s ~ \alpha v \tau o ́ ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~ \varepsilon ́ v \alpha ~ \alpha к o ́ \mu \eta ~ \sigma \eta \mu \varepsilon i ́ o ~$



 $\alpha i ́ \sigma \theta \eta \sigma \eta \varsigma ~ \kappa \alpha l ~ \tau \eta \varsigma ~ \alpha \xi ı \lambda \lambda o ́ \gamma \eta \sigma \eta \varsigma ~ \omega \varsigma ~ \mu \varepsilon ́ \sigma o ~ \varepsilon \lambda \varepsilon ́ \gamma \chi \circ v . ~ \Sigma \tau \eta ~ \mu \varepsilon \lambda \varepsilon ́ \tau \eta ~ \tau о v ~ \pi \varepsilon \delta i ́ o v ~ \tau \eta \varsigma ~$



 $0 \varepsilon \omega \rho \varepsilon i ́ ~ \tau \eta ~ \delta ı \alpha \sigma \tau \rho \varepsilon ́ \beta \lambda \omega \sigma \eta ~ \tau \eta \varsigma ~ \pi \rho \alpha \gamma \mu \alpha \tau \kappa \eta ̆ \varsigma ~ \varphi v ́ \sigma \eta \varsigma ~ \tau о v ~ к о ́ \sigma \mu о v . ~ \Omega \varsigma ~ о \lambda ı к \eta ~ \varepsilon ́ v v o ı \alpha ~$










## 























 ( $\mathrm{N} \varepsilon о \varphi \iota \lambda \varepsilon \lambda \varepsilon v \theta \varepsilon \rho \iota \sigma \mu \circ ́ \varsigma, N \varepsilon о \mu \alpha \rho \xi \iota \sigma \mu$ о́ $\kappa \lambda \pi$ ).



 $\kappa \alpha \tau \alpha ́ ~ \tau o v ~ F u k u y a m a ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~ \tau o ~ \tau \varepsilon \lambda \varepsilon v \tau \alpha i o ~ \sigma \tau \alpha ́ \delta ı o ~ \tau \eta \varsigma ~ \alpha v \theta \rho ต ́ \pi \tau v \eta \varsigma ~ \iota \sigma \tau о \rho i ́ \alpha \varsigma . ~ T \alpha ~$







 $\varphi \downharpoonright \lambda \varepsilon \lambda \varepsilon v ́ \theta \varepsilon \rho \circ \kappa \rho \alpha \dot{\alpha} \tau \circ \varsigma$.

## 

























 $\alpha \varphi \alpha i \rho \varepsilon \sigma \eta \varsigma$.


















## Kє甲́́ддıo 2



## 










 $\delta \alpha \theta \varepsilon ́ \tau \varepsilon \iota \chi \alpha \rho \alpha \kappa \tau \tau \dot{\rho} \rho \alpha \mu \varphi \uparrow \lambda \varepsilon \gamma о ́ \mu \varepsilon \vee о$.
















 סıкаıобט́vŋऽ.







 $\pi \rho о \varepsilon \kappa \tau \alpha ́ \sigma \varepsilon \iota \varsigma$.

## 





 $\pi \varepsilon \imath \theta \dot{\alpha} \rho \chi \eta \sigma \eta \varsigma$ ( $\varepsilon v \delta \varepsilon \iota \kappa \tau \iota \kappa \alpha ́$ Alcock 1998). $\Sigma \varepsilon \kappa \alpha ́ \theta \varepsilon \pi \varepsilon \rho i \pi \tau \omega \sigma \eta \eta \kappa \cup \rho i ́ \alpha \rho \chi \eta \pi \rho о \sigma \varepsilon ́ \gamma \gamma ı \sigma \eta$























 $\pi \alpha \rho \varepsilon \lambda \theta$ о́vтоऽ.

## 2.3 Пع $\delta i ́ \alpha ~ П \alpha \rho \varepsilon ́ \mu \beta \alpha \sigma \eta \varsigma$













 бט́voえo.





[^3]













 оıкоүह́v $\mathcal{L} \alpha \varsigma \sigma \tau \alpha \mu \varepsilon ́ \lambda \eta \tau \eta \varsigma$.

## 

















 $\mu \eta \chi \alpha v ı \mu \omega ́ v$.






 $\sigma \chi \varepsilon \delta i ́ o v ~ \tau o v ~ \Lambda o ́ \rho \delta o v ~ W . ~ B e v e r i d g e ~(1942) ~ \gamma ı \alpha ~ \tau \eta \nu ~ \sigma u \gamma к \rho o ́ \tau \eta \sigma \eta ~ \sigma u \sigma \tau \eta ́ \mu \alpha \tau о \varsigma ~$

 $\varepsilon \vee о ́ \varsigma ~ \varphi \alpha ́ \sigma \mu \alpha \tau о \varsigma ~ \pi о \lambda ı \tau ı \kappa \omega ́ v ~ \kappa \alpha \theta о \lambda ı \kappa о v ́ ~ \chi \alpha \rho \alpha \kappa \tau ท ́ \rho \alpha . ~ \Sigma v v \delta v \alpha \sigma \tau ı \kappa \alpha ́, ~ \tau о ~ \sigma \chi \varepsilon ́ \delta ı o ~ B e v e r i d g e ~$








 $\chi \rho о \vee о \lambda о \gamma \imath \kappa \alpha ́ ~ \pi \rho о \sigma \delta ı \rho ı \sigma \mu \varepsilon ́ v \eta$ каı ı $\delta \varepsilon о \lambda о \gamma \imath \kappa \alpha ́ ~ \varphi о \rho \tau \iota \sigma \mu \varepsilon ́ v \eta ~ \mu о \rho \varphi \eta ́ . ~ A v \alpha \varphi \varepsilon ́ \rho \varepsilon \tau \alpha ı ~ \sigma \tau \eta ~$








[^4]


## 2.5 Н Елıбтпиоvıк $\tau \tau \varsigma ~ \Theta \varepsilon \mu \varepsilon \lambda i \omega \sigma \eta$

























 Ф人ßı $\alpha v o ́ \varsigma ~ R . ~ T i t m u s s ~(1907-1973) ~ \varepsilon \pi \chi \chi \varepsilon i p \eta \sigma \varepsilon ~ \tau \eta v ~ \mu \varepsilon \lambda \varepsilon ́ \tau \eta ~ к \alpha ı ~ \alpha v \alpha ́ \lambda v \sigma \eta ~ \tau \eta ร ~$


[^5]






















































 $\beta \alpha ́ \rho o \varsigma ~ \sigma \tau \eta v \dot{\alpha} \mu \varepsilon \sigma \eta$ بородоүía (Abel-Smith and Townsend 1955) ${ }^{9}$. Н $\lambda о \gamma \kappa \kappa \dot{\eta} \alpha v \tau \eta$,









[^6]


## 2.6 МєӨободоүıкŋ́ Пробє́ $\gamma \gamma \iota \sigma \eta$



















 vүвías.






 $\pi \rho о \beta \lambda \eta{ }_{\eta} \mu \alpha \tau \alpha$.









 $\pi о \lambda v \delta \dot{\alpha} \sigma \tau \alpha \tau \eta$ каı $\mu \varepsilon v \psi \eta \lambda$ ó $\beta \alpha \theta \mu$ ó $\varepsilon \xi \alpha \tau о \mu i ́ \kappa \varepsilon v \sigma \eta \varsigma ~ \alpha v \alpha ́ \alpha ~ \pi \varepsilon \rho i ́ \pi \tau \omega \sigma \eta . ~$



































 (industrial achievement performance) к $\alpha \iota$ то $\theta \varepsilon \sigma \mu \iota \kappa o ́ ~-~ \alpha v \alpha \delta \iota \alpha v \varepsilon \mu \eta \tau \iota к o ́ ~(i n s t i t u t i o n a l ~$



























## Ke¢́àalo 3



### 3.1 To П $\lambda \alpha$ írıo $\mathrm{A} \lambda \lambda \eta \lambda \varepsilon \pi i \delta \rho \alpha \sigma \eta \varsigma$





















 $\mu \varepsilon ́ \sigma o$ в $\pi i \not \tau \varepsilon \cup \xi \eta \varsigma \tau \eta \varsigma$.






















### 3.2 E $\lambda \varepsilon v \theta \varepsilon \rho i ́ \alpha ~ к \alpha 兀 ~ I \sigma o ́ \tau \eta \tau \alpha$


















 Fitzpatrick 2001 кaı Alcock et al. 1998). Me ß $\dot{\alpha} \sigma \eta$ avtóv tov около́ $\pi \rho о к и ́ \pi \tau \varepsilon ı ~ \eta ~$






























 $\alpha v ı \sigma o ́ \tau \eta \tau \alpha$.

















 $\alpha v \alpha \delta \alpha v o \mu \eta$.































 $\pi \alpha \rho \alpha \mu \varepsilon ́ \tau \rho o v \varsigma$. To єлтхвíp $\eta \mu \alpha$ аvтó $\theta \alpha \alpha v \alpha \lambda v \theta \varepsilon i ́ ~ \alpha \mu \varepsilon ́ \sigma \omega \varsigma ~ \mu \varepsilon \tau \alpha ́ ~ \alpha \pi o ́ ~ \tau \eta \nu ~ \pi \alpha \rho \alpha ́ \theta \varepsilon \sigma \eta ~ \tau \omega \nu$


## 

























 Flora and Alber 1981).








 катаvонŋ́ тоv $\pi \alpha \rho \alpha \nsucc о ́ \mu \varepsilon v o v ~ \pi \lambda о v ́ \tau о v . ~$

















 $\alpha \kappa о \lambda о v \theta \varepsilon i ́$.

## 































 $\alpha \sigma \theta \varepsilon v \varepsilon ́ \sigma \tau \varepsilon \rho \omega v$ коıvตvルкळ́v $\sigma \tau \rho \omega \mu \alpha ́ \tau \omega v$. To $\alpha i ́ \tau \eta \mu \alpha$ аvтó $\alpha \pi o ́ ~ \mu ı \alpha ~ к \nu \beta \varepsilon ́ \rho v \eta \sigma \eta ~ \mu \varepsilon$
















 $\sigma о \mu \varphi \varepsilon \rho о ́ v \tau \omega \nu$.














 $\pi \alpha \rho \varepsilon ́ \mu \beta \alpha \sigma \eta \varsigma$.















## Mépos $\operatorname{\Delta \varepsilon vít\varepsilon \rho o:~}$

























 ßрі́бкоvтаı $\sigma \varepsilon \alpha \pi о ́ к \lambda ı \sigma \eta$.







 $\delta 1 \alpha \pi \rho \alpha \gamma \mu \alpha \tau \varepsilon v \sigma \eta \varsigma$.





















## 4.1 Фìع $\lambda \varepsilon \cup \theta \varepsilon \rho \iota \sigma \mu o ́ \varsigma$

## 



















Ot $\varepsilon \xi \varepsilon \lambda i \xi \varepsilon \varepsilon \varsigma ~ \alpha v \tau \varepsilon ́ \zeta ~ \sigma \alpha \varphi \varepsilon ́ \sigma \tau \alpha \tau \alpha ~ v \pi о v o o v ́ v ~ \tau \eta \nu ~ \varepsilon \pi \kappa \kappa \varepsilon i ́ \mu \varepsilon v \eta ~ \sigma ט ́ v о \psi \eta ~ \tau \omega \nu$




 то $\lambda$ ıткко́ тонє́ $\alpha$.









 $\sigma \varphi \alpha i ́ \rho \alpha \mu \varepsilon \alpha v \alpha \delta v o ́ \mu \varepsilon v o ~ \alpha \pi о \tau \varepsilon ́ \lambda \varepsilon \sigma \mu \alpha ~ \tau \eta \nu ~ \varepsilon \mu \varphi \alpha ́ v ı \sigma \eta ~ \tau \eta \varsigma ~ \mu \varepsilon ́ \chi \rho ı ~ \pi \rho o ́ \tau \tau v o \varsigma ~ \alpha \varphi \alpha v o v ́ \varsigma ~$ Évvolas rov ató $\mu$ оv.








 $\sigma \cup \mu \beta$ одaíov Hobbes, Locke, Rousseau).















 סıкаlơóvins.








 $\alpha v \tau o ́ v o \mu \eta ~ \alpha \xi ́ a$.





















 $\kappa \alpha \theta \varepsilon \sigma \tau \omega \tau \omega v$.















[^7]
## 


































## 










 $\kappa \alpha \_\varepsilon \xi$ оибía.






 $v \alpha \delta \alpha \tau \eta \rho \varepsilon i \tau \alpha ı ~ \kappa \alpha ı ~ v \alpha ~ \mu \eta \nu ~ \mu \varepsilon \tau \alpha \rho \rho v \theta \mu i \zeta \varepsilon \tau \alpha 1 . ~ Е \pi о \mu \varepsilon ́ v \omega \varsigma ~ \eta ~ \pi \alpha \rho \alpha ́ \delta о \sigma \eta ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~$





















 $\varepsilon \pi \iota \delta \dot{́} \kappa \varepsilon \tau \alpha \iota \mu \varepsilon \kappa \alpha ́ \theta \varepsilon \delta$ бvаато́ тоо́то.









## 










































[^8]




## 







 - 35, $\alpha \lambda \lambda \dot{\alpha} \kappa \alpha \imath \varepsilon v \mu \varepsilon ́ \rho \varepsilon t ~ A l c o c k ~ e t ~ a l l ~ 1998, ~ T a y l o r ~ 2007) . ~ . ~$











 $\pi \rho о к \alpha \lambda \varepsilon ́ \sigma \varepsilon \iota ~ \pi \varepsilon \rho ı \sigma \sigma o ́ \tau \varepsilon \rho о ~ \delta v \sigma \lambda \varepsilon ı \tau о \cup \rho \gamma i ́ \alpha, \pi \alpha \rho \alpha ́ \quad \varepsilon \cup \eta \mu \varepsilon \rho i \alpha$.





[^9]








 ávev аvтıкрі́бцатоร.







































 $\alpha \tau о \mu \iota \kappa o ́ ~ \sigma \vartheta \mu \varphi \varepsilon ́ \rho o v ~ \alpha \pi о \tau \varepsilon \lambda \varepsilon i ́ ~ \beta \alpha \sigma \iota \kappa o ́ ~ к i ́ v \eta \tau \rho о ~ \tau \omega v ~ \sigma \tau \varepsilon \lambda \varepsilon \chi ळ ́ v ~ к \alpha ́ \theta \varepsilon ~ \delta \eta \mu o ́ \sigma ı \alpha \varsigma ~ v \pi \eta \rho \varepsilon \sigma i \alpha \varsigma ~$ (Niskanen 1973).












 $\tau \omega \vee \alpha \tau о \mu \kappa \kappa ́ v \varepsilon \varepsilon \notin \cup v \omega ́ v$.















 $\mu \varepsilon \mu \circ v \omega \mu \varepsilon ́ v \omega v ~ \sigma \nu \mu \varphi \varepsilon \rho o ́ v \tau \omega v$.

## 



































 $\tau i \theta \varepsilon v \tau \alpha \iota ~ \alpha \pi o ́ ~ \tau о \cup \varsigma ~ \kappa \alpha \tau \alpha v \alpha \lambda \omega \tau \varepsilon ́ \varsigma$.












































 котט曰viкó кри́то̧.



















## 













 $\tau \alpha ́ \xi \eta \varsigma^{15}$.






 $\tau \eta \varsigma ~ \delta \varepsilon v ́ \tau \varepsilon \rho \eta \varsigma ~ \beta ı \rho \mu \eta \chi \alpha v ı \kappa \eta ́ \varsigma ~ \varepsilon \pi \alpha v \alpha ́ \sigma \tau \alpha \sigma \eta \varsigma ~ о \delta \eta \gamma \varepsilon i ́ ~ \sigma \tau \eta \nu ~ \pi \varepsilon \rho \alpha ı \tau \varepsilon ́ \rho \omega ~ \varepsilon v \delta v v \alpha ́ \mu \omega \sigma \eta ~ \tau о v$





[^10]












 $\pi \rho о \varepsilon ́ к \tau \alpha \sigma \eta$ бтоv концоиขлоцо́.

















[^11] $\mu \alpha \rho \xi \iota \sigma \mu \circ v ́$, ó $\tau \omega \varsigma ~ \theta \alpha \alpha v \alpha \pi \tau \cup \chi \theta \varepsilon i ́ ~ \sigma \tau \iota \varsigma ~ \varepsilon \pi o ́ \mu \varepsilon v \varepsilon \varsigma ~ \varepsilon v o ́ \tau \eta \tau \varepsilon \varsigma ~ t o u ~ к \varepsilon \varphi а \lambda \alpha i ́ o v . ~$

## 

































 вıпиєрía.

































## 

### 5.3.1 $\mathrm{M} \alpha \rho \xi ı \sigma \mu o ́ \varsigma$








 $\alpha \pi o ́ ~ \sigma o ́ \gamma \chi \rho o v o u \varsigma ~ M \alpha \rho \xi ̌ \imath \sigma \tau \varepsilon ́ \zeta ~(G o u g h, ~ G i n s b u r g, ~ O f f e, ~ O ' C i n n n o r, ~ Q u a d a g n o) . ~ \Sigma \varepsilon ~ \kappa \alpha ́ \theta \varepsilon ~$















 $\varepsilon \pi \alpha v \alpha \sigma \tau \alpha \tau \kappa ŋ ́ ~ к \alpha \tau \varepsilon v ́ \theta \cup v \sigma \eta$.
















 $\mu \propto к р о л \rho о ́ \theta \varepsilon \sigma \mu о ~ \sigma \tau о ́ \chi о . ~$
















 1984).







 vонцолоі́ךопร (O' Connor 1973).














## 








































 $\pi \alpha \rho \alpha \gamma \omega \gamma \kappa \kappa ́ \tau \eta \tau \alpha \varsigma$.






 $\varepsilon \rho \gamma \alpha \sigma \dot{\alpha} \alpha \varsigma ~ \sigma v \mu \pi \varepsilon \rho \imath \lambda \mu \beta \alpha ́ v o v \tau \alpha \varsigma ~ v \varepsilon ́ \varepsilon \varsigma ~ \pi \alpha \rho \alpha \mu \varepsilon ́ \tau \rho o v \varsigma, ~ o ́ \pi \omega \varsigma ~ \alpha v \tau \varepsilon ́ \varsigma ~ \tau о v ~ \varphi v ́ \lambda о v, ~ \tau ๆ \varsigma ~ \varphi v \lambda \eta ́ \varsigma, ~$































 $\kappa \lambda \alpha \sigma ı \kappa о и ́ \mu \alpha \rho \xi \imath \sigma \mu \circ v$.

#  

### 5.4.1 гобн $\alpha \lambda \delta \eta \mu о к р а т і а ~_{\text {人 }}$





























 $\kappa \alpha \theta \varepsilon \sigma \tau \omega ́ \tau \alpha$.











## 














 2007: 59).



















 краткю́я ларе́ц $\beta \alpha \sigma \eta \varsigma$.















 $\chi \alpha \rho \alpha \kappa \tau \eta \dot{\rho} \alpha \alpha \nu \sigma о \tau \dot{\tau} \tau \omega v$.

[^12]





 $\varepsilon є \sigma о \delta \eta \mu \alpha \tau \kappa \omega ́ v \pi o ́ \rho \omega v$ (means-tested basis).

## 
























 $\beta \alpha \theta \mu o ́ ~ \delta ı \alpha \pi v \varepsilon ́ \varepsilon \tau \alpha \iota ~ \alpha \pi o ́ ~ \tau ı \varsigma ~ \mu \varepsilon \lambda \varepsilon ́ \tau \varepsilon \varsigma ~ \tau о v ~ C r o s l a n d, ~ \tau \omega v ~ о \pi о i ́ \omega v ~ \beta \alpha \sigma ı \kappa \eta ́ ~ \delta ı \alpha \pi i \sigma \tau \omega \sigma \eta ~ \eta ́ \tau \alpha \nu$


































 єлтхвір $\eta \mu \alpha$.

## $5.5 \Sigma v \mu \pi \varepsilon \rho \alpha ́ \sigma \mu \alpha \tau \alpha$
































## 













 $\pi о \lambda ı \tau เ \kappa \omega ́ v ~ เ \delta \varepsilon \propto ் ้ . ~$






















































 $\pi \rho о \varepsilon ́ \tau \alpha \xi \varepsilon \kappa \alpha \tau \alpha ́ \tau \varsigma \pi \rho \omega \dot{\tau} \varepsilon \varsigma \mu \varepsilon \tau \alpha \pi \circ \lambda \varepsilon \mu \iota \kappa \varepsilon ́ \varsigma \delta \varepsilon \kappa \alpha \varepsilon \tau i \varepsilon \varsigma$.











 $\alpha \tau o ́ \mu \circ v \gamma \alpha \alpha \tau \eta v \varepsilon \pi i ́ \lambda v \sigma \eta \tau \omega v \pi \rho \circ \beta \lambda \eta \mu \alpha ́ \tau \omega v \tau 0 v$.




















 $\varepsilon \lambda \varepsilon u ́ \theta \varepsilon \rho \eta \upharpoonleft$ аүора́ৎ.











 кош $\omega$ vía.















 $\pi \lambda о \cup \rho \lambda 1 \sigma \mu \circ v ์)$.
















 тๆร $\varepsilon \lambda \varepsilon v ́ \theta \varepsilon \rho \eta \varsigma ~ \alpha \gamma о \rho \alpha ́ \varsigma . ~$

## 

## A. E $\lambda \lambda \eta \geqslant o ́ \gamma \lambda \omega \sigma \sigma \eta$ Bıp $\lambda ı \gamma \rho \alpha, \varphi i ́ \alpha$




 $\Delta i \kappa \alpha \iota \omega ́ \mu \alpha \tau \alpha$. To Tह̇̇


4. Подávvı K. (2001), O Мє $\gamma \dot{\lambda} \lambda о \varsigma ~ М \varepsilon \tau \alpha \sigma \chi \eta \mu \alpha \tau \imath \sigma \mu o ́ \varsigma, ~ \Theta \varepsilon \sigma \sigma \alpha \lambda о v i к \eta: ~ N \eta \sigma i ́ \delta \varepsilon \varsigma . ~$


 То́ $\mu \circ \varsigma \mathrm{A}^{\prime}, ~ \Theta \varepsilon \sigma \sigma \alpha \lambda о v i к \eta: ~ П \alpha \rho \alpha т п \rho \eta \tau \eta ์ \varsigma$.


8. Fukujama F. (2005) (Мєт: $\Delta . B o v ́ \beta \alpha \lambda \eta)$, Oıкобó $\eta \eta \sigma \eta ~ K \rho \alpha \tau \dot{v} v . \Delta ı \alpha \kappa v \beta \varepsilon ́ \rho v \eta \sigma \eta ~$ $\kappa \alpha l ~ \pi \alpha \gamma \kappa o ́ \sigma \mu \imath \alpha ~ \tau \alpha ́ \zeta \eta ~ \sigma \tau o v ~ 21 o ~ \alpha ı \omega ́ v o . ~ A \theta \eta ́ v \alpha: ~ \Lambda ı \beta \alpha ́ v \eta . ~$




 бтo Abendroth W. - Lenk K. (1983) ( $\varepsilon \pi \tau \mu$.$) , Eı \sigma \alpha \gamma \omega \gamma \eta \dot{\eta} \sigma \tau \eta v$ Подı兀ıкク́


 Єєбоадоviкп: Паратпрптŋ́s.
 Х $\bar{\eta} \mu \alpha \tau o \varsigma, ~ A \theta \eta \dot{\eta} \alpha \alpha$ (2001): П $\alpha \pi \alpha \zeta \check{\eta} \sigma \eta$.
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[^0]:     $\pi \rho о ́ \sigma \varphi \alpha \tau \varepsilon \varsigma$ о́л $\boldsymbol{\sigma} \varsigma$ tov Taylor (2007).

[^1]:    ${ }^{2}$ Evסcıктıќ่ $\beta \lambda$. Eagleton T. (1991), Ideology: An Introduction, London and New York: Verso. Freeden M. (1996), Ideologies and Political Theory: A Conceptual Approach, Oxford: Clarendon Press. McLellan D. (1995), Ideology, Milton Keynes: Open University Press. Seliger M. (1976), Ideology and Politics, London: Allen and Unwin.

[^2]:    
     бколои́ऽ к $\alpha \imath \varepsilon \pi \iota \delta 1 \omega \xi \varepsilon เ \varsigma$.

[^3]:    

[^4]:    
    
     коเv曰viкळ́v बe $\alpha v \tau \alpha ́$.

[^5]:    

[^6]:    
    

[^7]:    
    
    
    
    

[^8]:    
    T.H. Marshall (1950) кんa Bevtép $\mathrm{\eta S}_{S}$ (2009)

[^9]:     1997)

[^10]:    
    

[^11]:    

[^12]:    ${ }^{17} \mathrm{~B} \lambda . \tau \eta \nu \delta \eta \mu \circ \varphi \lambda \lambda \dot{\eta} \mu \varepsilon \lambda \varepsilon \tau \tau \eta$ tov Peter Townsend (1979)

